

# Agenda

01

Foundations of geothermal energy, heat and flow properties

02

Multiphase flow, reservoir properties and energy conversion

03

Geothermal reserve estimation and unconventional geothermal systems

04

Oil and gas well conversions, future trends

# Recap of Day 1

- Geothermal energy is energy from beneath the Earth.
- Conduction and convection are the dominant mechanisms of heat transfer in geothermal systems.
- It can be used to generate electricity, for direct use, and as a heat pump.
- Convection plays a significant role in geothermal systems.
- The rock has a high energy density.



# Day 2

01

Foundations of geothermal energy, heat and flow properties

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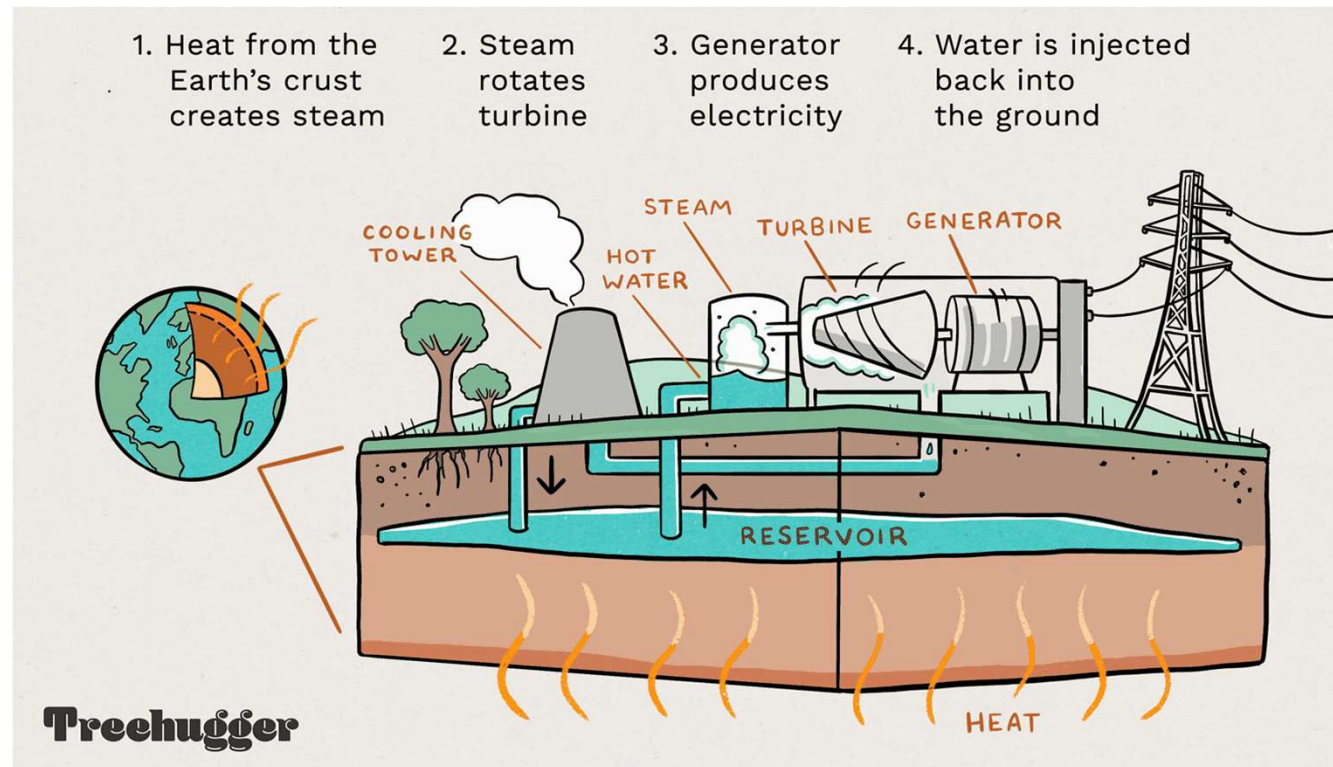
Geothermal reserve estimation and unconventional geothermal systems

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# Geothermal Electricity

- From reservoir to ....power plant
  - energy stored in rock
  - heat transfer from rock to fluid
  - flow through porous media to well
    - fracture and matrix flow
  - power cycles (heat to electricity)
    - vapor dominated
    - liquid dominated
    - binary
  - reinjection



# Flow Properties

## Darcy's Law

- The flow of a single fluid through a porous material is usually governed by Darcy's Law:

$$\vec{u} = \frac{\overline{k}}{\mu} (\nabla p - \rho \vec{g})$$

- where  $u$  is the flux velocity (interstitial velocity divided by porosity),  $k$  is the permeability tensor,  $\nabla p$  is the pressure gradient,  $\rho$  is the fluid density,  $\mu$  is the viscosity, and  $g$  is the gravity vector.

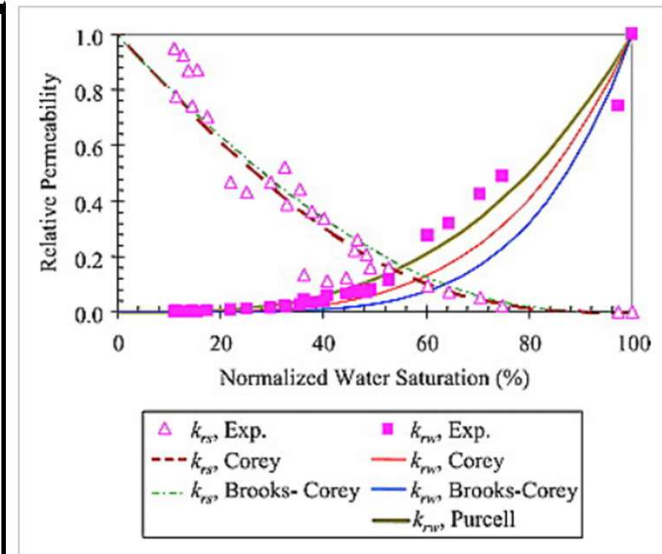
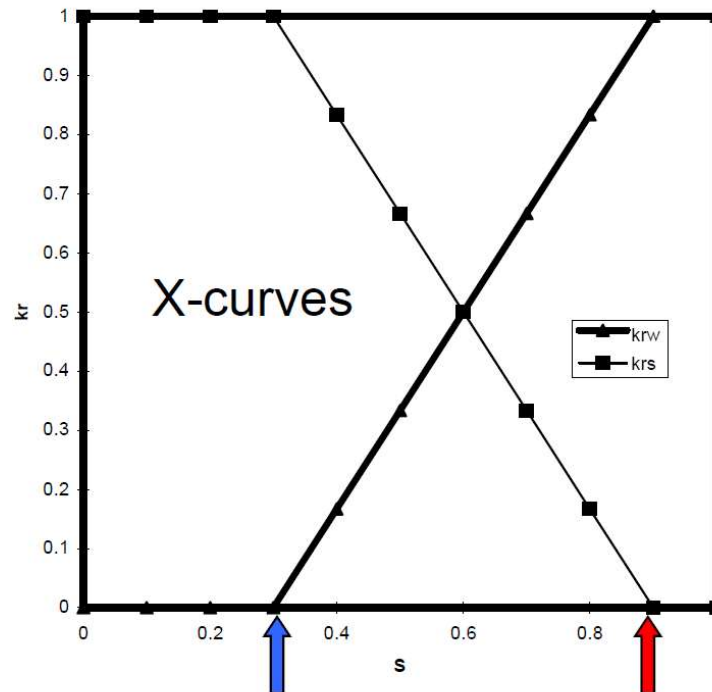
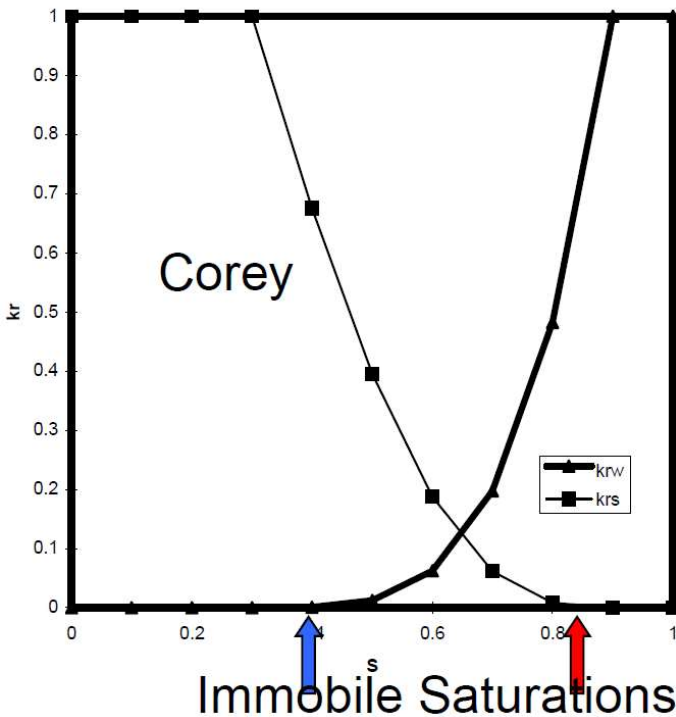
# Two-Phase Flow

- In the case of two-phase flow, we need to take account of the fact that the presence of one phase may hinder the flow of the other, resulting in a reduction in the effective permeability to that phase as a function of the saturation (volume fraction) of the other. This concept is included by adding a modifier, known as the relative permeability  $k_r$ , multiplying the permeability of each phase, for example the water phase:

$$u_{w,x} = \frac{k_{rw} k_x}{\mu_w} \frac{\partial p}{\partial x}$$

# Relative Permeability Curves

- Corey Type
- Fracture (X) Type



<https://agupubs.onlinelibrary.wiley.com/doi/10.1029/2005WR004482>



# Nomenclature for Steam Tables

- $P$  = Pressure of the steam/water
- $T$  = Saturation point of steam/water (boiling point)
- $v_f$  = Specific volume of saturated water (liquid).
- $v_g$  = Specific volume of saturated steam (gas).
- $h_f$  = Specific enthalpy of saturated water (energy required to heat water from 0°C (32°F) to the boiling point)
- $h_{fg}$  = Latent heat of evaporation (energy required to transform saturated water into dry saturated steam)
- $h_g$  = Specific enthalpy of saturated steam (total energy required to generate steam from water at 0°C (32°F)).

$$h_{fg} = h_g - h_f$$

## Two-phase compressibility

$$c_t = -\frac{1}{V} \frac{\Delta V}{\Delta p} = \frac{(1-\phi)\rho_r c_r + \phi S_w \rho_w c_w}{\phi \rho_s h_{fg} \left( \frac{dp_{sat}}{dT} \right)}$$

- e.g., At 250°C,  $\phi=0.1$ :  $\rho_r=2000 \text{ kg/m}^3$ ,  $c_r=1 \text{ kJ/kg-}^\circ\text{C}$ ,  $c_w=4.86 \text{ kJ/kg-}^\circ\text{C}$
- $C_w=1.3 \times 10^{-6} \text{ kPa}^{-1}$ ,  $C_s=3 \times 10^{-4} \text{ kPa}^{-1}$
- For  $S_w=0.5$ , (Using  $dT = 2^\circ\text{C}$ ) **What is  $C_t$ ? What can you deduce?**
- $C_t=8.24 \times 10^{-2} \text{ kPa}^{-1}$

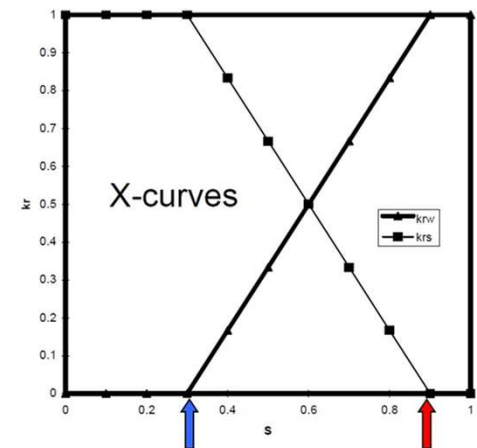
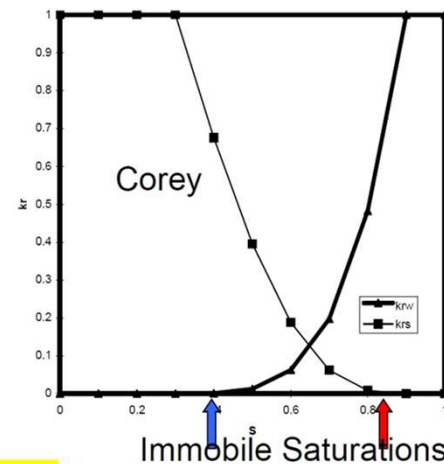
# Two-phase viscosity

[https://www.peacesoftware.de/einigewerte/wasser\\_dampf\\_e.html](https://www.peacesoftware.de/einigewerte/wasser_dampf_e.html)

$$\frac{1}{\mu_t} = \frac{1-x}{S_w} \frac{k_{rw}}{\mu_w} + \frac{x}{1-S_w} \frac{k_{rs}}{\mu_s}$$

- If using X curves

$$\frac{1}{\mu_t} = \frac{1-x}{\mu_w} + \frac{x}{\mu_s};$$



So,

$$\mu_t = \frac{\mu_w \mu_s}{(1-x) \mu_s + x \mu_w}$$

## In Place Saturation

$$S_w = \frac{V_w}{V_w + V_s} = \frac{1 - x}{(1 - x) + x \rho_w / \rho_s}$$

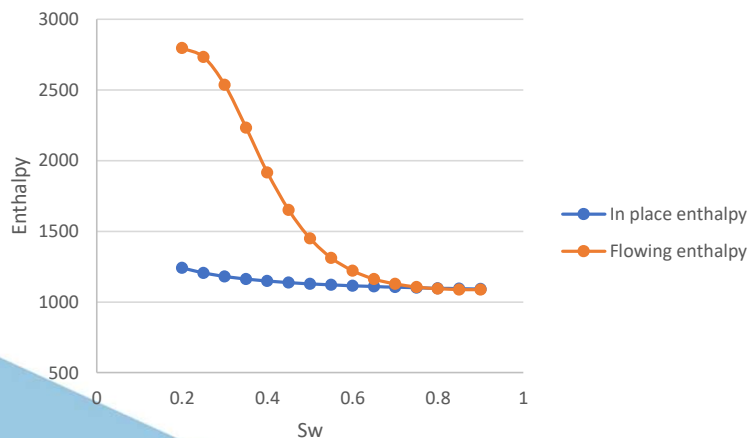
$$\text{or, } S_w = 1 - \frac{x v_s}{x v_s + (1 - x) v_w}$$

$$\text{Also, } x = (h - h_w) / (h_s - h_w)$$

$$\therefore S_w = \frac{(h_s - h) v_w}{(h - h_w) v_s + (h_s - h) v_w}$$

# In Place and Flowing Enthalpy

- Because of relative permeability effects, the flowing volumes of steam and water are not in the same proportion as the total (static) volumes.



In-place enthalpy:  $h = xh_s + (1 - x)h_w$

Flowing enthalpy: 
$$h_{flowing} = \frac{W_w h_w + W_s h_s}{W_w + W_s}$$

$$W_w = \frac{1}{v_w} \frac{kk_{rw}}{\mu_w} A \frac{\partial p}{\partial x}; \quad W_s = \frac{1}{v_s} \frac{kk_{rs}}{\mu_s} A \frac{\partial p}{\partial x}$$

$$h_{flowing} = \frac{\frac{k_{rw}}{v_w \mu_w} h_w + \frac{k_{rs}}{v_s \mu_s} h_s}{\frac{k_{rw}}{v_w \mu_w} + \frac{k_{rs}}{v_s \mu_s}}$$

# Reinjection

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# Reinjection

- Why do we reinject?
  - Thermal pollution
  - Chemical pollution
  - Maintenance of reservoir pressure, temperature and fluid volumes
- Reinjection avoids environmental damage and can improve reservoir performance
- Does Reinjection always improve performance?
- (Can also damage reservoir performance therefore proper reinjection design is an important reservoir engineering task.)

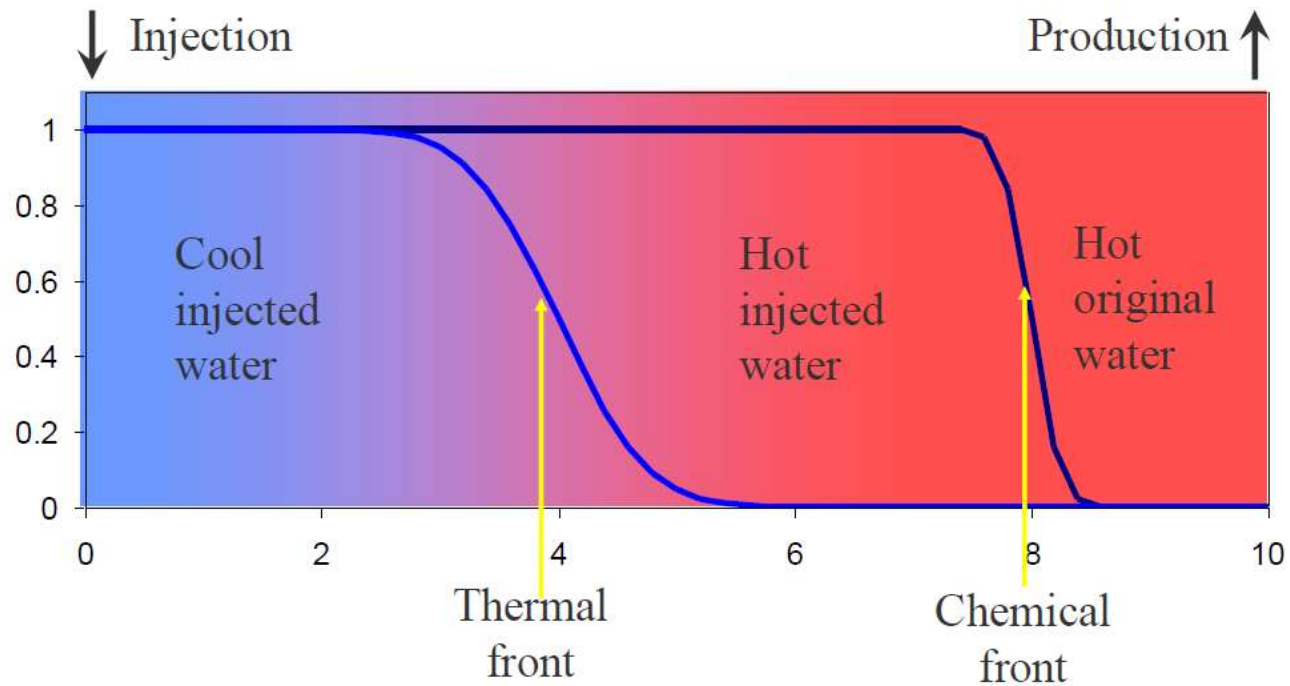
# Reinjection

- Flow of Fluid and Heat
  - Pressure, fluid and thermal fronts
  - Porous medium flow models
  - Fracture flow models
- Tracers



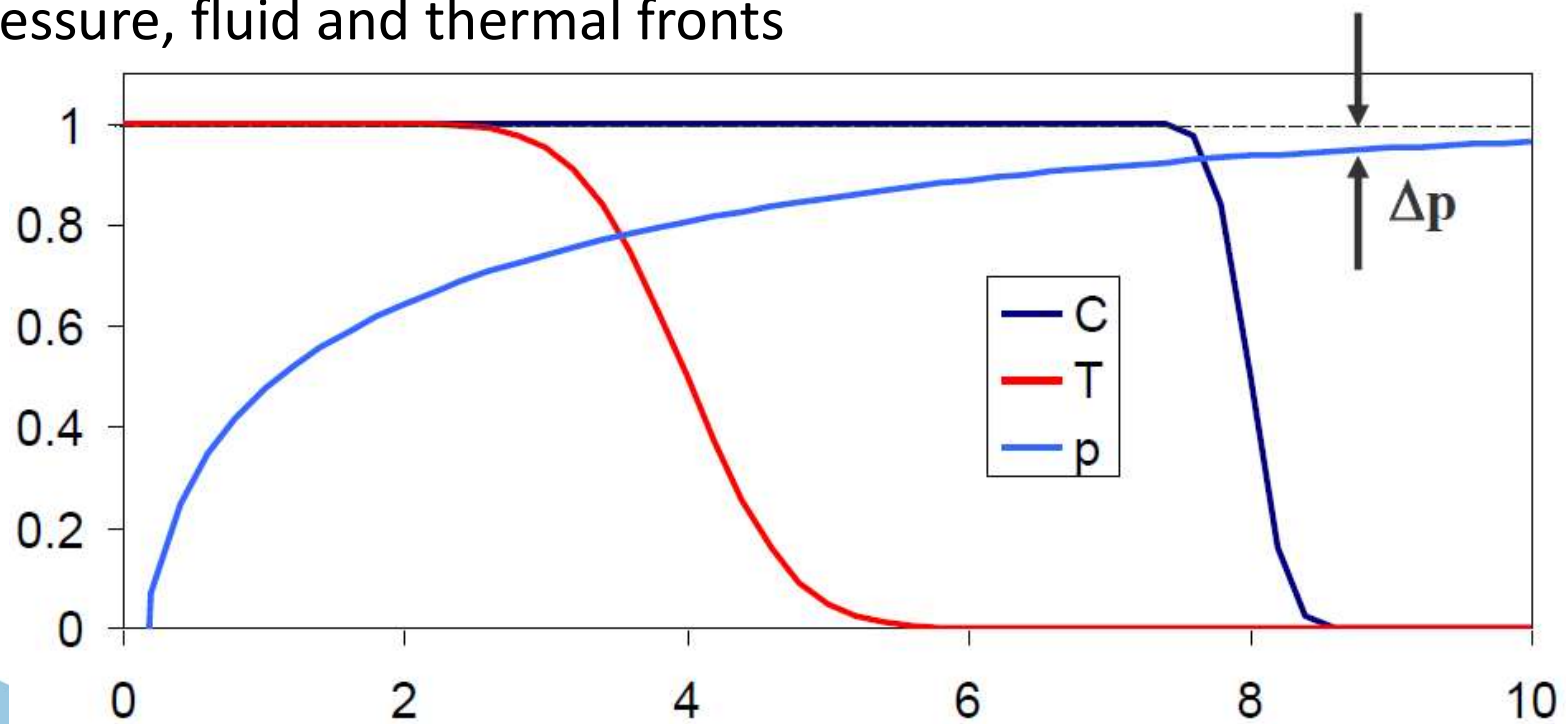
# Reinjection: Fronts

- Pressure, fluid and thermal fronts



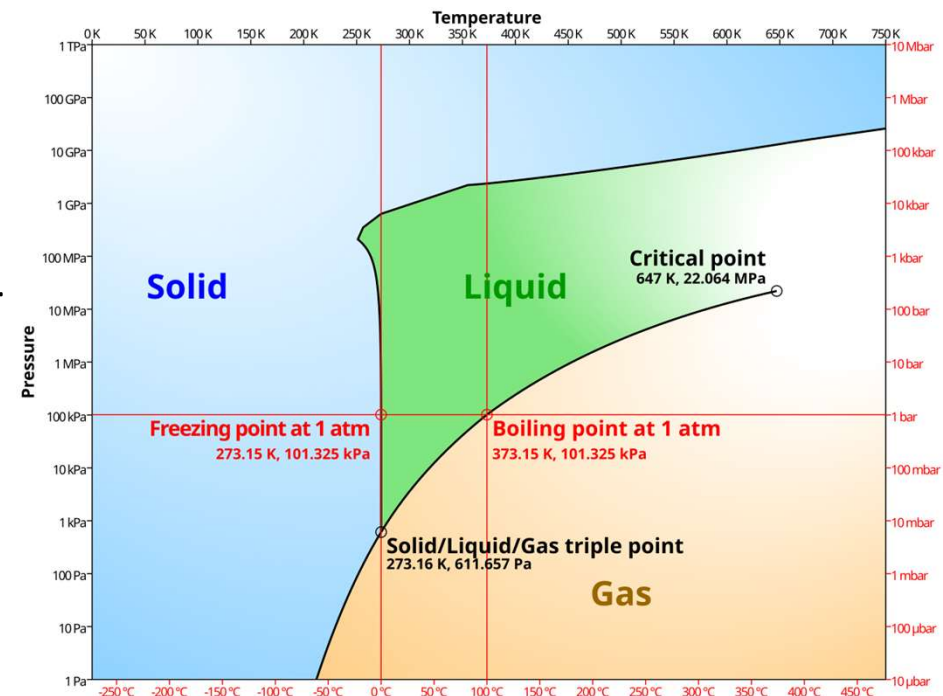
# Reinjection: Fronts

- Pressure, fluid and thermal fronts



# Pressure Changes

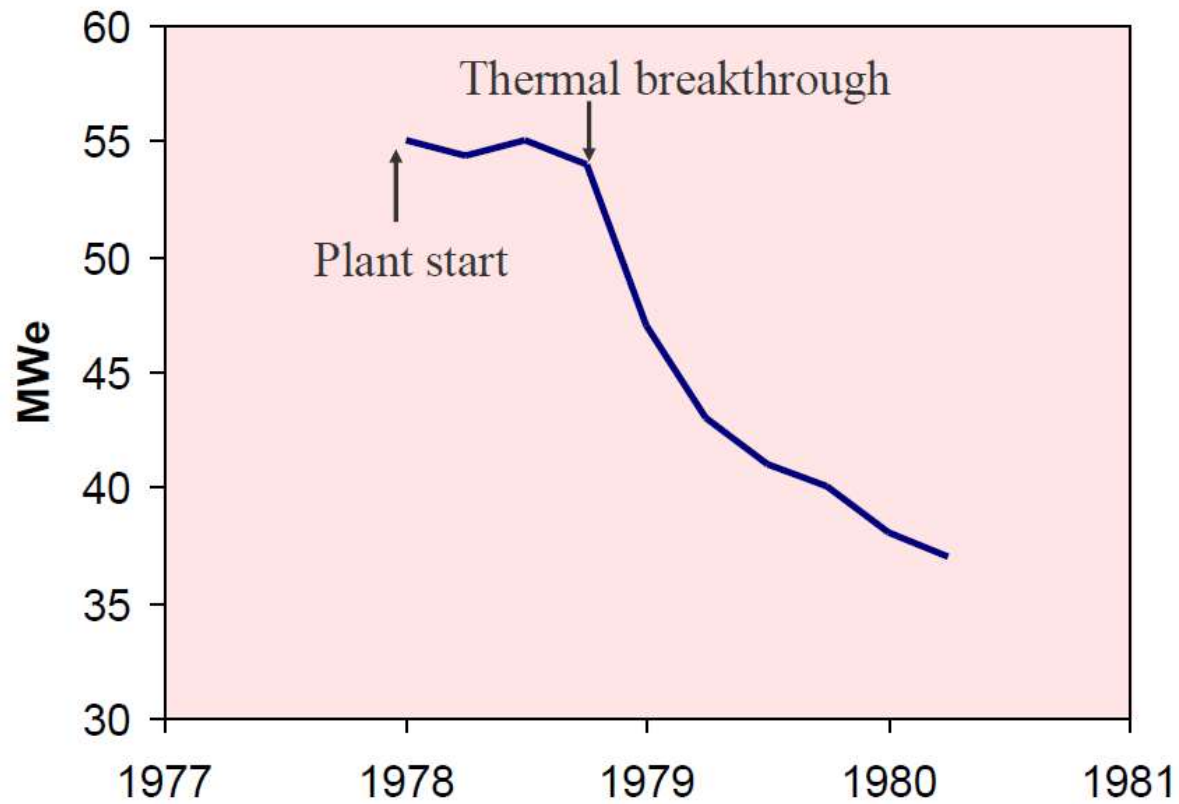
- Pressure may rise at injection point in liquid-dominated reservoir.
- Pressure may fall at injection point in two-phase or vapor-dominated reservoir.
- Pressure changes are transmitted through the reservoir but may not be correlated with thermal effects.



# Chemical Changes

- Reinjection water has high content of dissolved materials.
- Artificial tracers may be injected.
- Extraneous substances may be added (e.g., air, inhibitors).
- Chemical breakthrough a precursor of thermal breakthrough since transport mechanisms are similar.

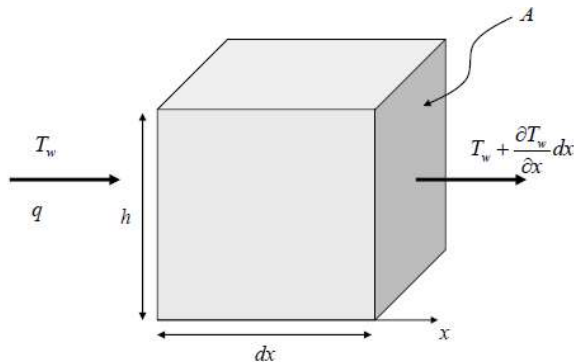
# Thermal Breakthrough



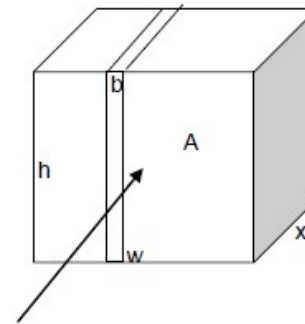
# Thermal Breakthrough

- Rapid chemical breakthrough signifies a greater risk of rapid thermal breakthrough.
- How can we relate thermal breakthrough to chemical breakthrough?
- How can we determine chemical breakthrough?

- Porous media



## Fracture Model



# Thermal Breakthrough

Water velocity  $\frac{q}{A} = v_w \phi$

Thermal velocity  $v_{th} = \frac{\rho_w C_w}{\rho_A C_A} v_w \phi$

$$\frac{v_{th}}{v_w} = \frac{\rho_w C_w}{\rho_A C_A} \phi$$

- The thermal front would take 4.6 times longer than the chemical (tracer) front.
- This is, however, a pessimistic estimate of thermal breakthrough.

$$\frac{v_{th}}{v_w} = 0.2171$$

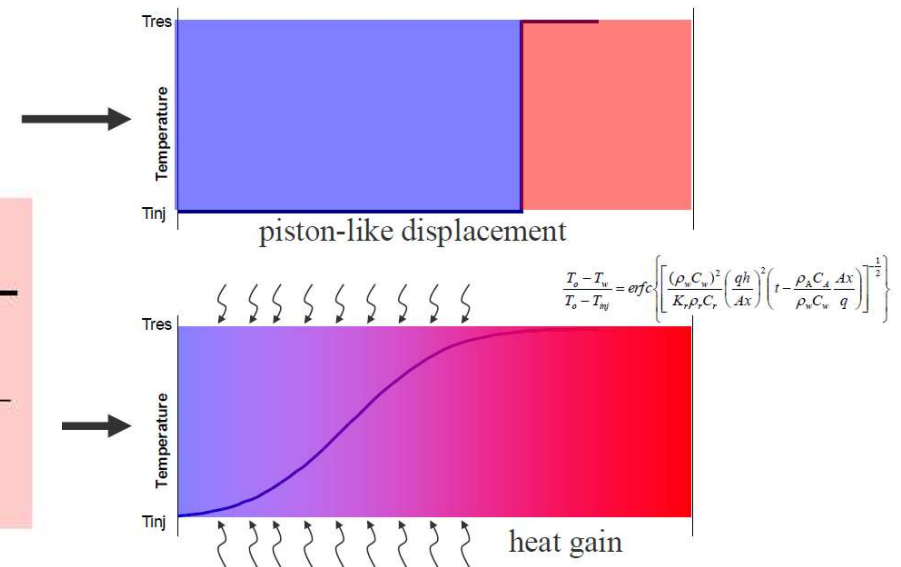
# Thermal Breakthrough

- Considering heat loss / gain

$$v_{th}^* = \frac{v_{th}}{1 + 4.234 \frac{x}{h^2} \frac{K_r \rho_r C_r}{(\rho_A C_A)^2} \frac{1}{v_{th}}}$$

Typical values  $v_{th}^* = 0.0686 v_{th}$

- Fracture models:
- $t_c$  = mean tracer arrival time



$$t_{th} = t_c + 4.234 \left(\frac{t_c}{b}\right)^2 \frac{K_r \rho_r C_r}{(\rho_w C_w)^2}$$



# Tracers: Overview

- Tracer testing: injecting one or more tracers—usually chemical compounds—into the subsurface in order to estimate its flow and storage properties.
- A tracer test is an indirect method for characterizing subsurface properties.
- We invariably compare observed behavior with a mathematical (or numerical) model and infer subsurface properties from the comparison.

# Tracers

- Needs to be:
  - Similar to transport fluid (water or steam)
  - Distinguishable
- Three main classes:
  - Dyes
  - Radioactive tracers
  - Chemical tracers

# Tracers

- Dye Tracers
- Fluorescein
- Hatchobaru 220°C
- Fenton Hill 150°C
- Salak 240°C OK, 290°C not OK.
- Rhodamine WT
- Svartsengi 240 °C
- Ohaaki 230 °C not detected
- Cheap and easy to measure, but not stable beyond a few days.

# Tracers

- Radioactive tracers
  - $I_{131}$  (8 days)
  - $Br_{82}$  (1.5 days)
  - $H_3$  tritium (12.4 years)
  - Detectable in small amounts.
  - Safety and regulation may be issues.
- Chemical Tracers
  - Halides (KI and NaBr)
  - Fluorocarbon tracers
- Natural tracers:
  - Chloride
  - Nitrogen

# Tracer Design

- Choice of tracer.
- Quantity to be injected.
- Seek a return concentration at least three times greater than background.
- Seek a return concentration at least three times greater than detection limit.
- Need to estimate maximum and minimum exit concentration.

# Tracer Design

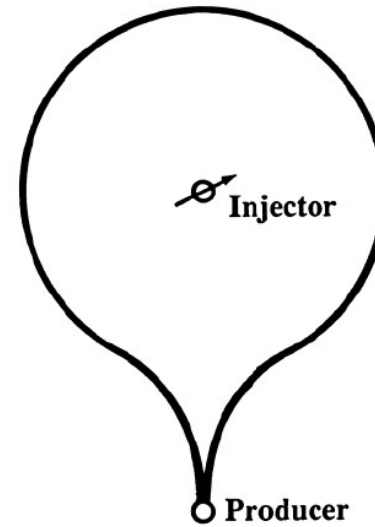
- Minimum Concentration

$$C_{min} = \frac{V_{inj}}{1.076 D^2 h \phi}$$

- Maximum Concentration

$$C_{max} = \frac{V_{inj}}{q t} \sqrt{\frac{Pe}{\pi}}$$

- Based on linear flow in a fracture

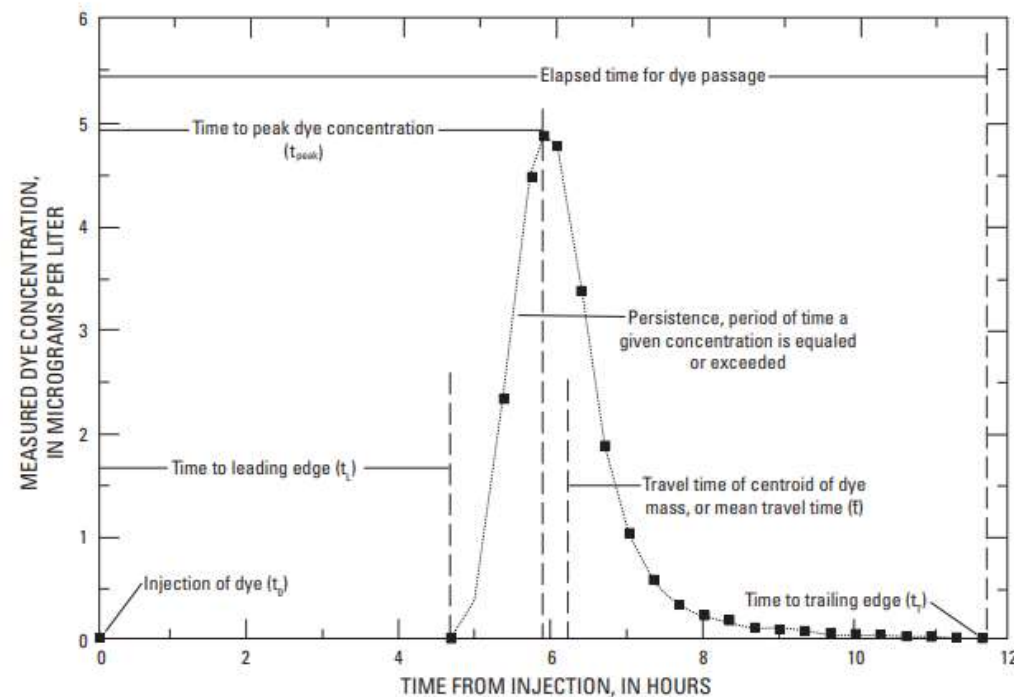


# Tracer Design

- Example
- 100 t/h injected with 1 tonne of KI.
- Well separation  $D = 100$  m
- Thickness  $h = 500$  m, porosity 0.05
- $C_{min} = 3.7$  ppm
- Assuming breakthrough 5 days,  $Pe = 40$
- $C_{max} = 297$  ppm

# Tracer Test Interpretation

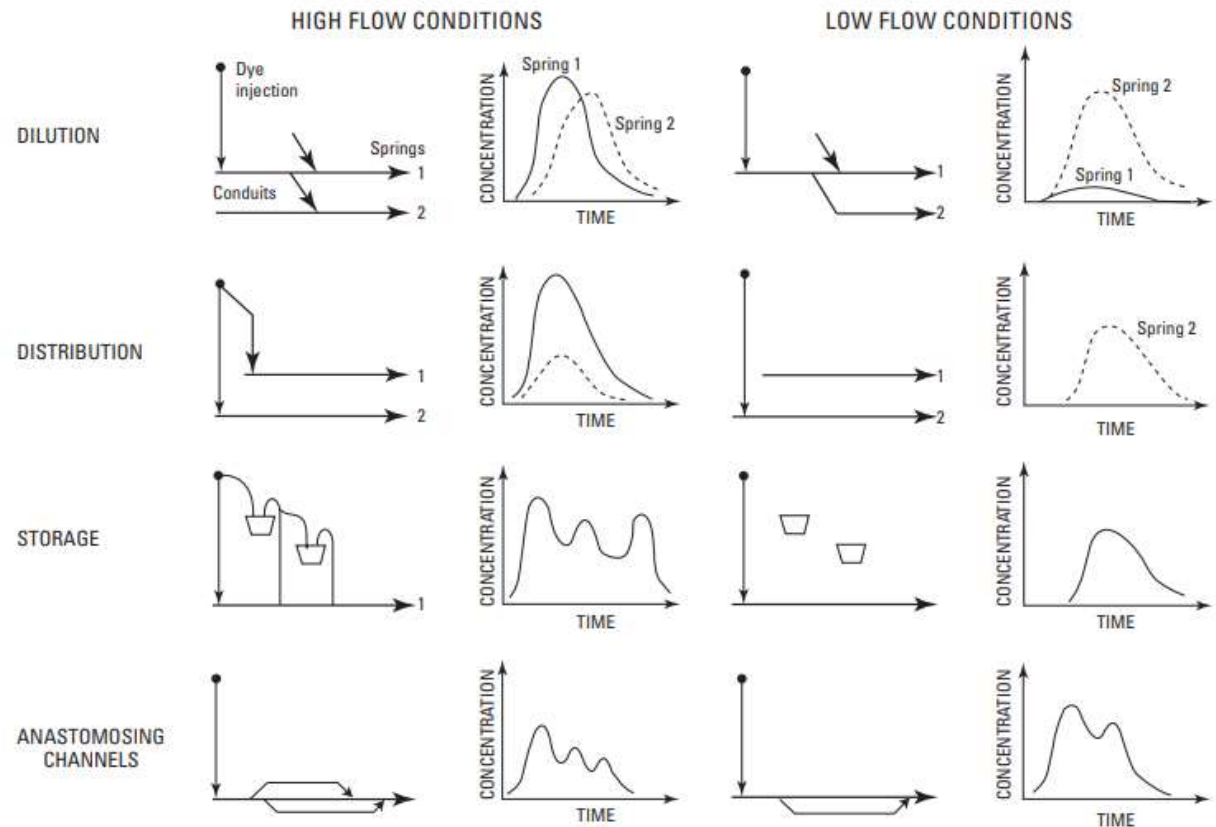
- Tracer Breakthrough Curve Analysis
- Integrating the area under the dye-breakthrough curve allows for estimation of the mass of tracer recovered.
- Evaluation of the shape of the dye breakthrough curve provides data needed to estimate hydraulic properties such as longitudinal dispersion, Reynolds and Peclet numbers, and discharge.



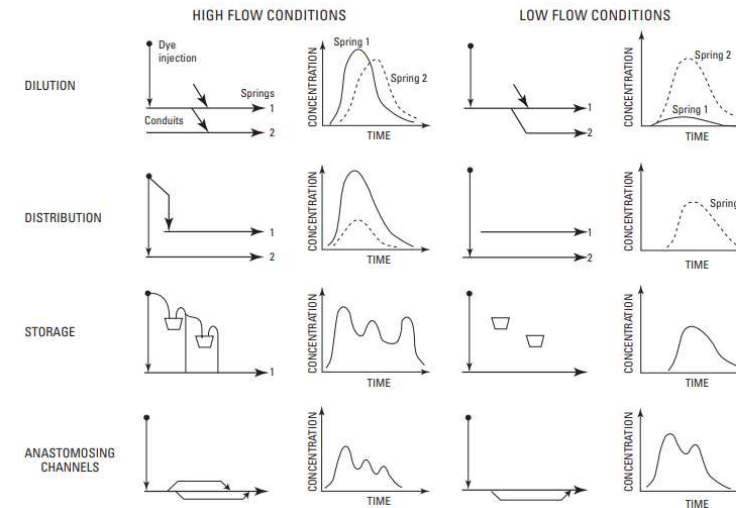
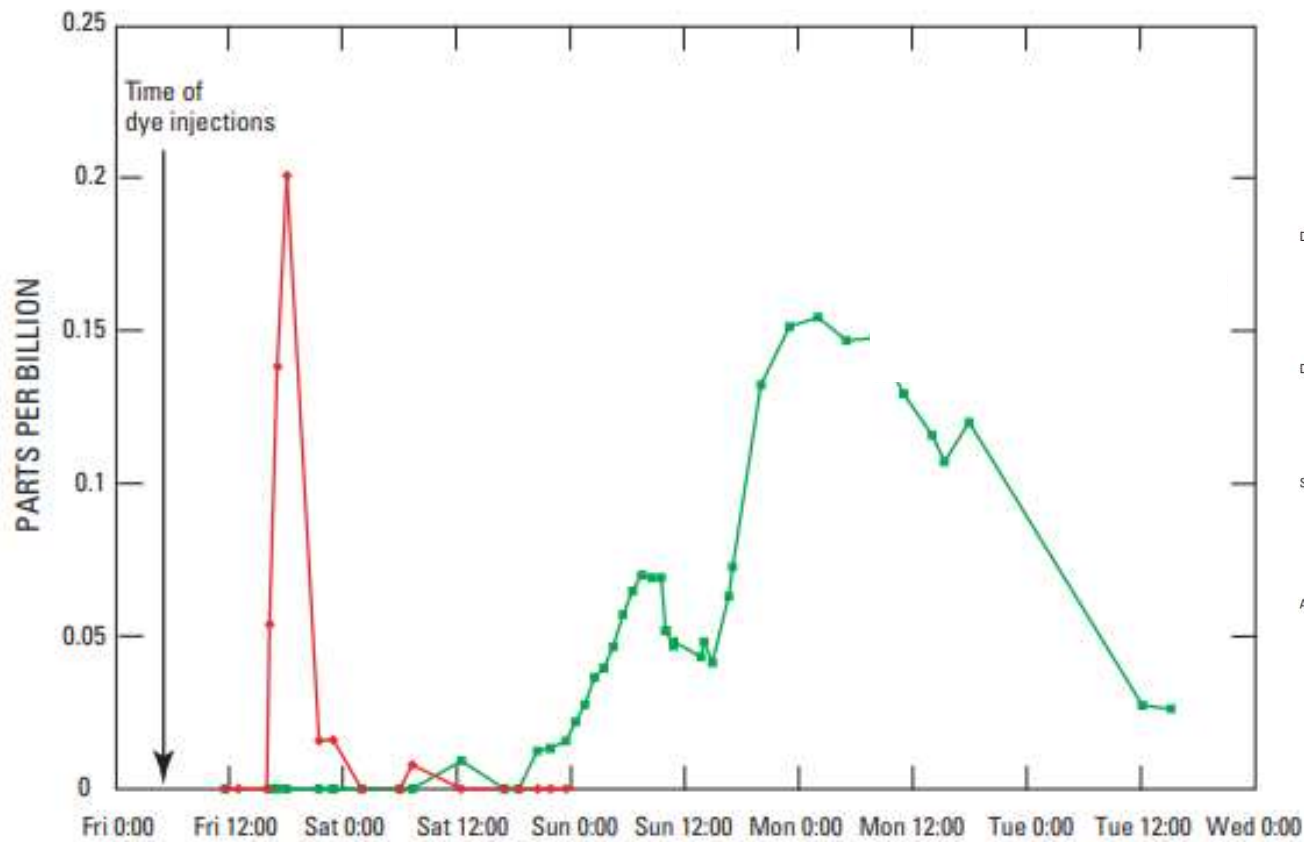


# Tracer Test Interpretation

- Interpretation of the physical characteristics of the breakthrough curves usually cannot be based solely on the pattern of recovery of dye, but also on knowledge of the geology under study



# Tracer Test Interpretation

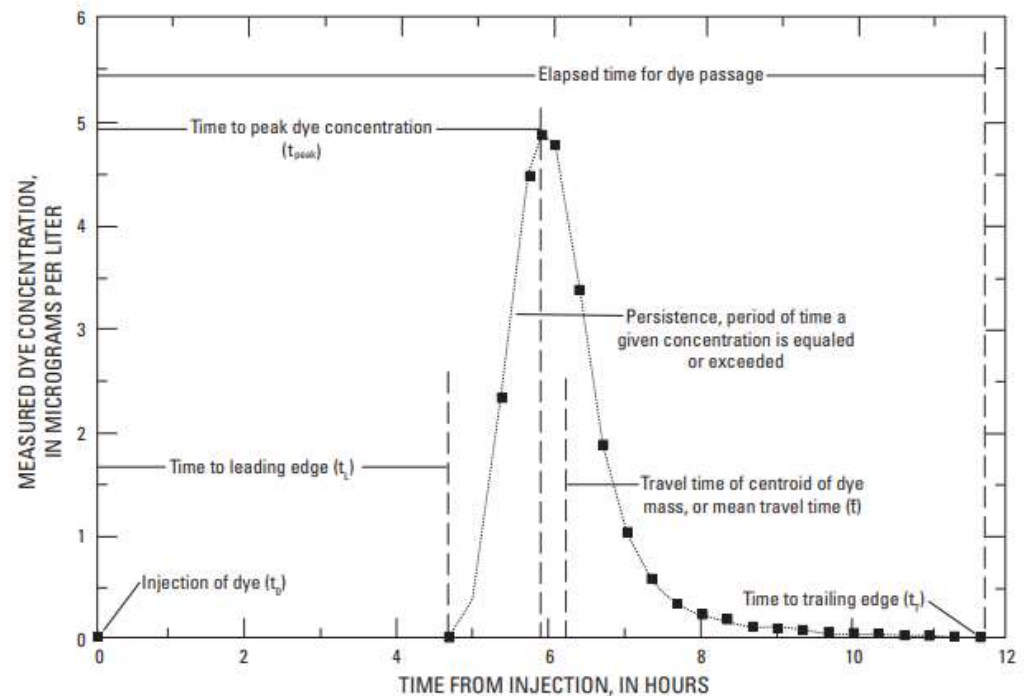


# Tracer Test Interpretation – Example

- Calculate  $t_c$ , the mean tracer arrival (chemical breakthrough) time, using **moment analysis** (centroid of concentration vs. time).

$$t_c = \frac{\sum(t_i \cdot C_i)}{\sum C_i}$$

- Comment on your answer



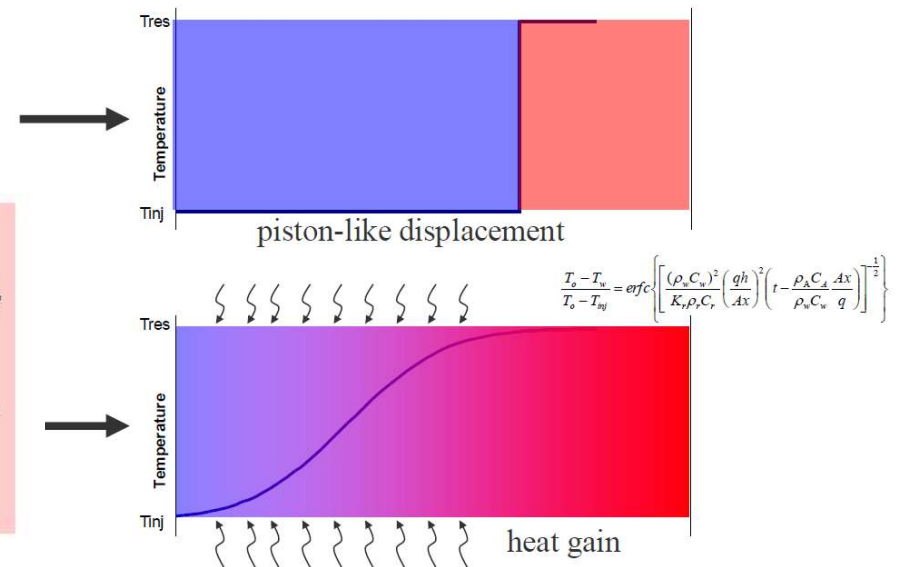
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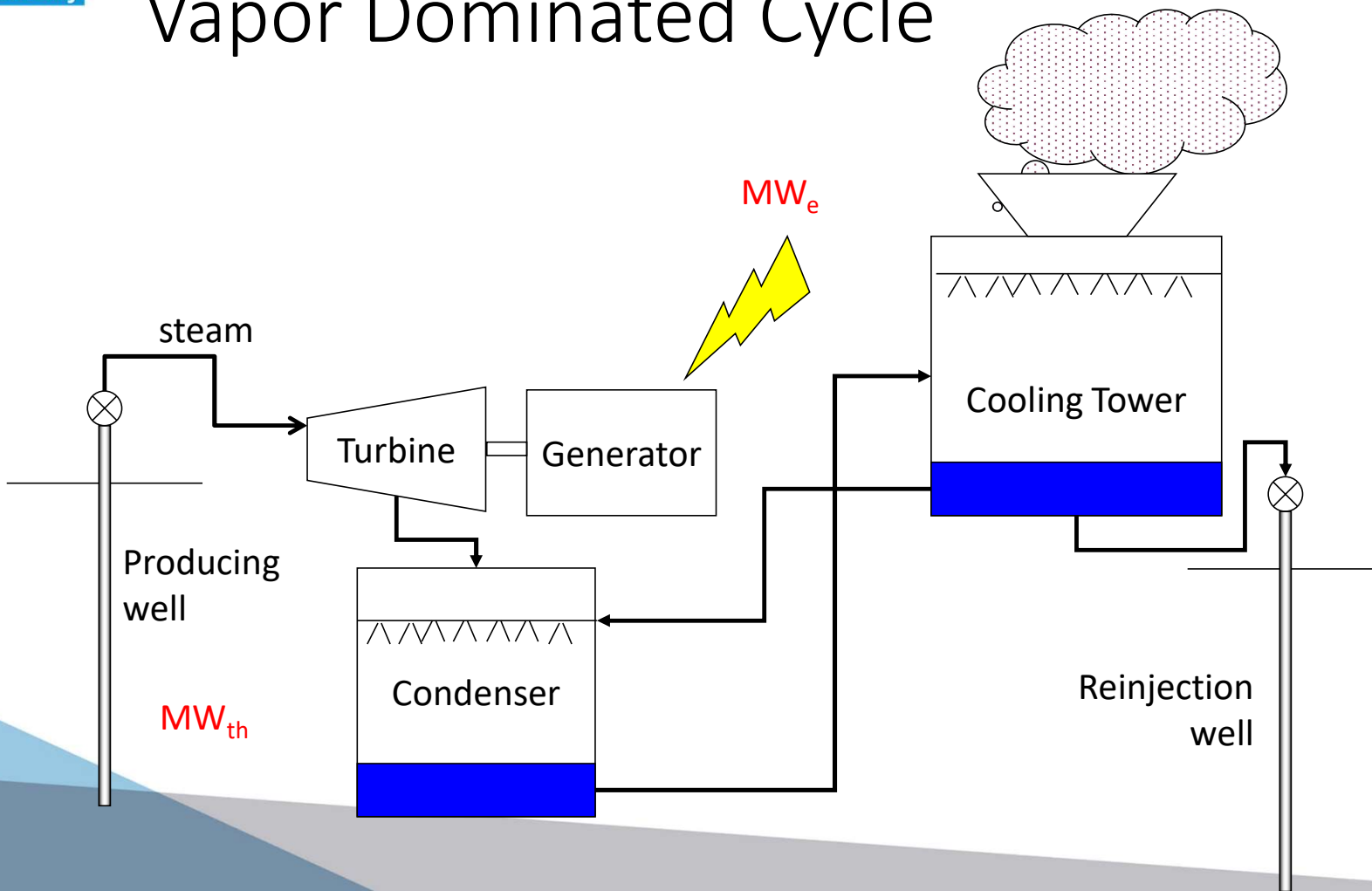


$$t_{th} = t_c + 4.234 \left(\frac{t_c}{b}\right)^2 \frac{K_r \rho_r C_r}{(\rho_w C_w)^2}$$

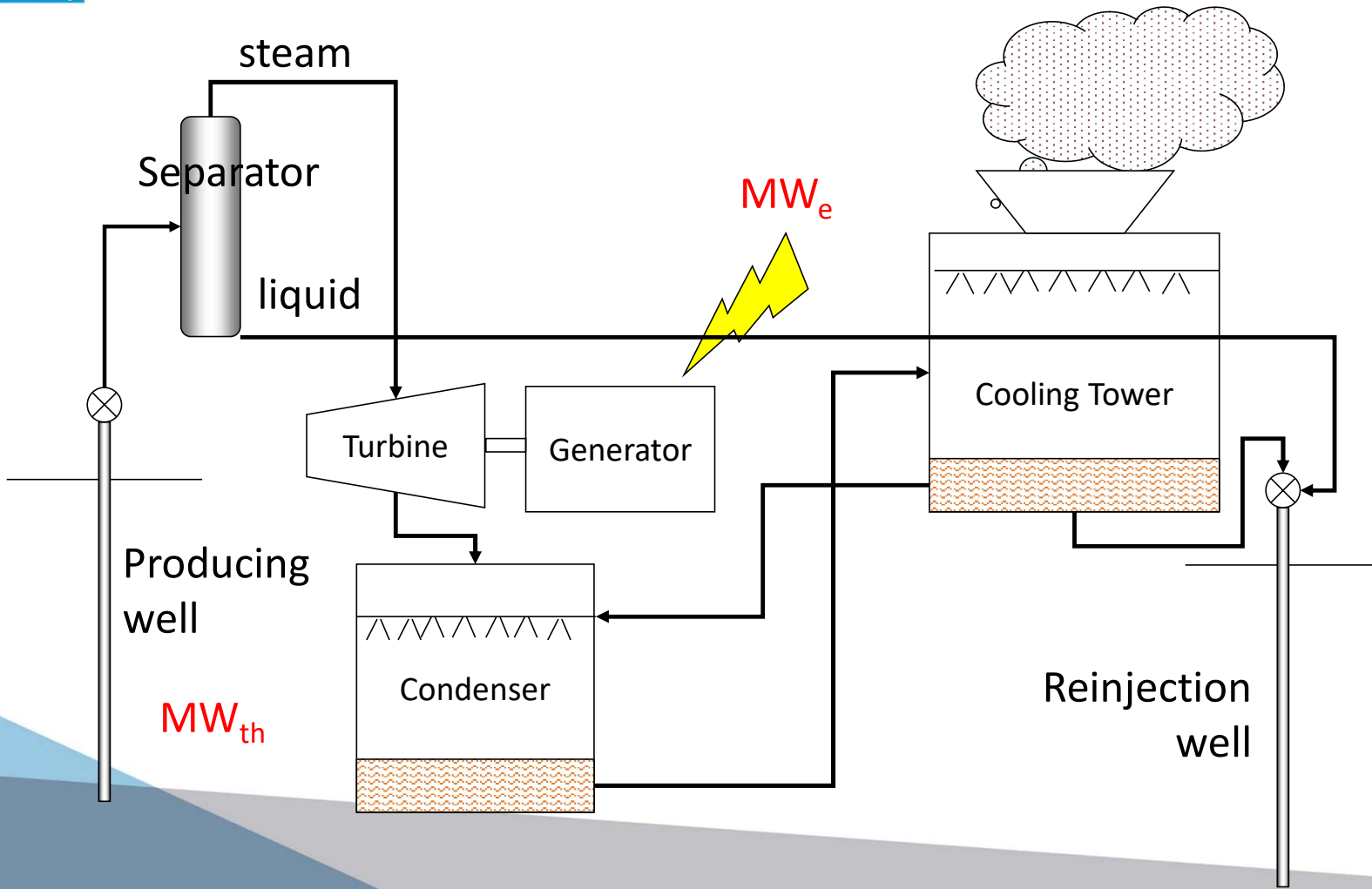
# Conversion

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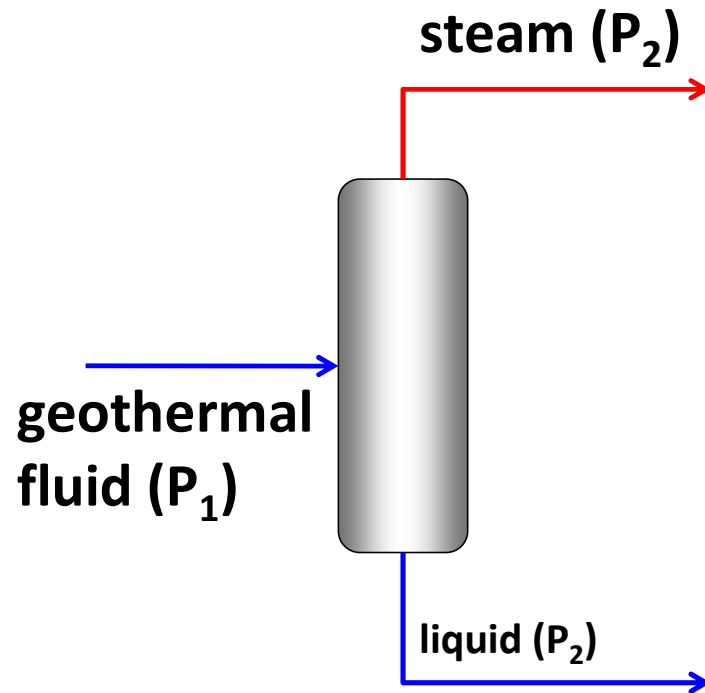
# Vapor Dominated Cycle



# Liquid-Dominated Power Cycle



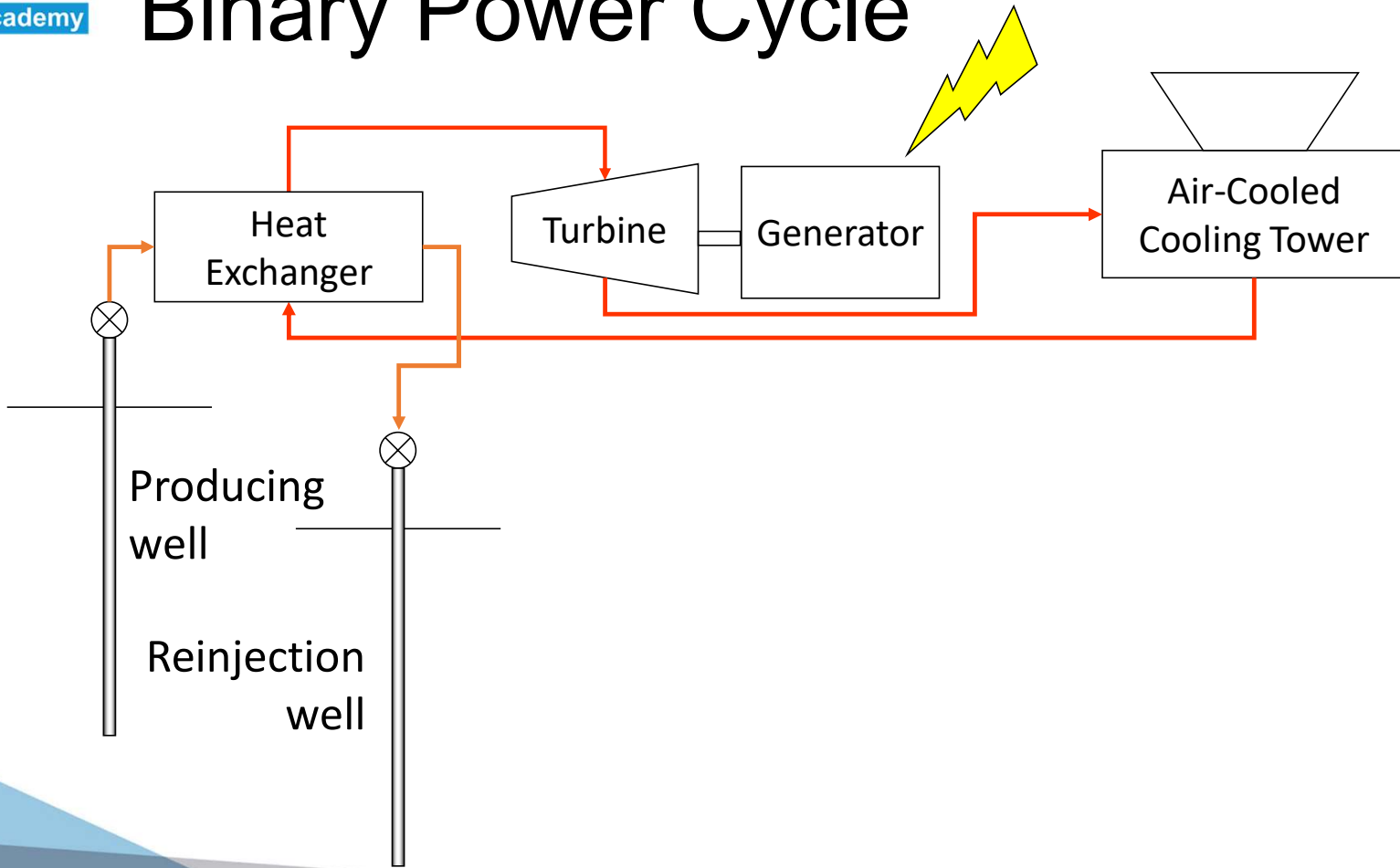
# Flash Tank



- $P_1 > P_2$  the fluid boils (or flashes) at the lower pressure
- steam quality  $X$  results
- the enthalpy equals
- $h_{\text{feed}} = xh_s + (1-x)h_w$



# Binary Power Cycle



## Thermal Power vs Generated Power

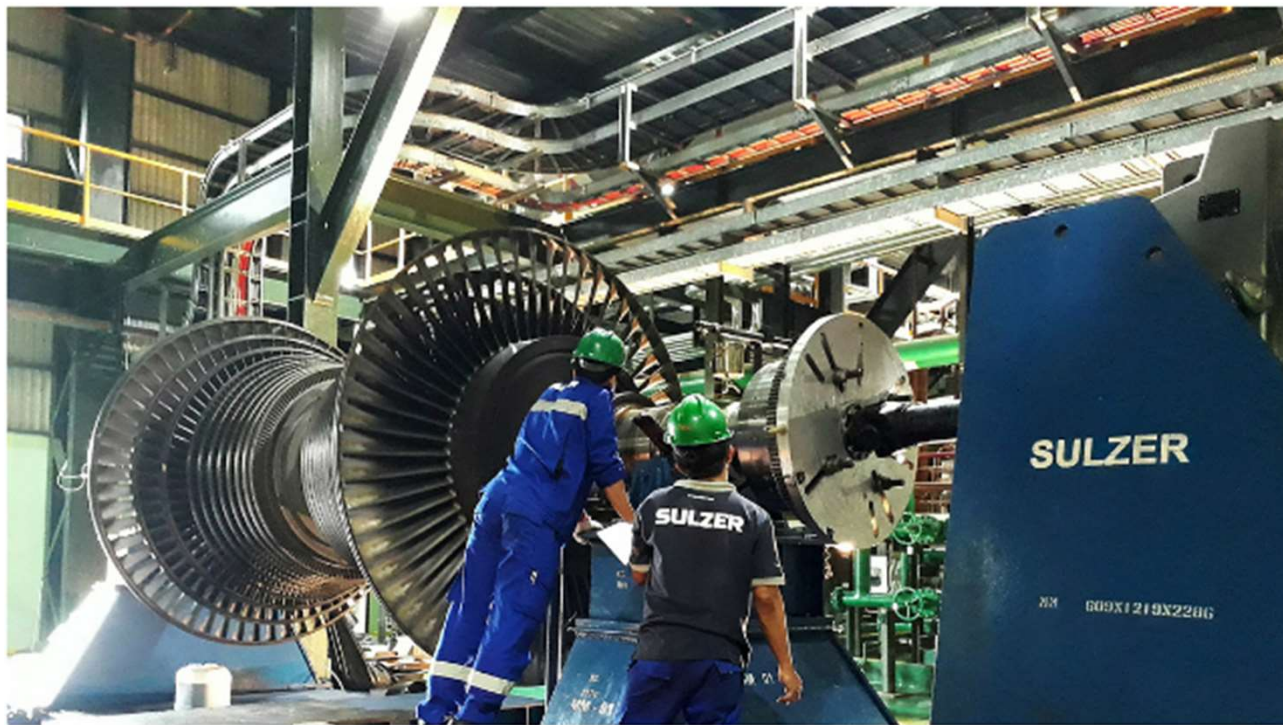
- Given a system where the downstream temperature is  $25^{\circ}\text{C}$  and the reservoir temperature is  $T = 165^{\circ}\text{C}$ .
- If you want to generate  $40\text{ MW}_e$ , how much thermal power from the geothermal resource do you need?

## Thermal Power vs Generated Power

- Given a system where the downstream temperature is  $25^{\circ}\text{C}$  and the reservoir temperature is  $T = 165^{\circ}\text{C}$ .
- If you want to generate  $40\text{ MW}_e$ , how much thermal power from the geothermal resource do you need?
- Calculate the Carnot efficiency,  $\eta$
- To compute the amount of thermal power, we divide the electrical power by the efficiency.

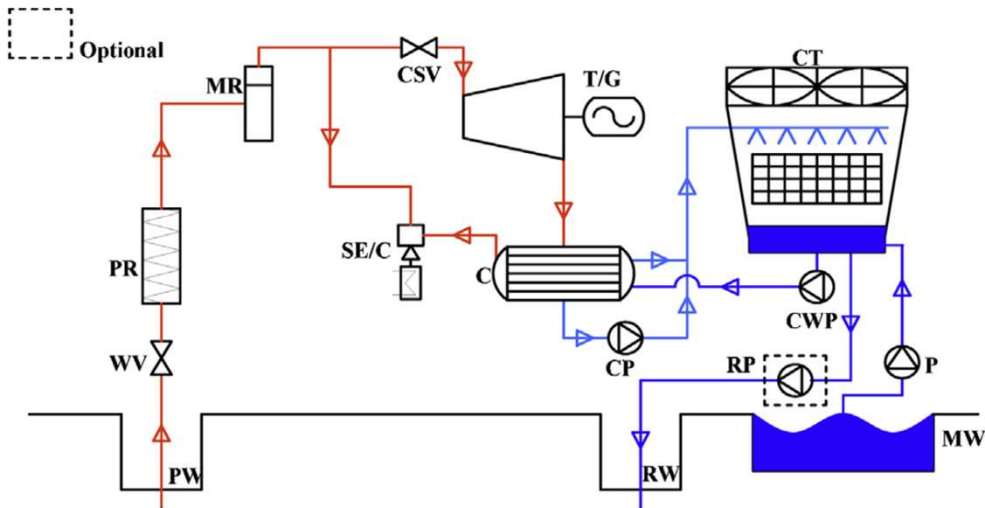
$$\eta = 1 - \frac{T_c}{T_h} = 1 - \frac{273 + 25}{273 + 165} = 0.32$$
$$\eta = \frac{\text{MW}_e}{\text{MW}_{th}} \Rightarrow \text{MW}_{th} = \frac{\text{MW}_e}{\eta} = 125\text{MW}_{th}$$

# Steam Turbine



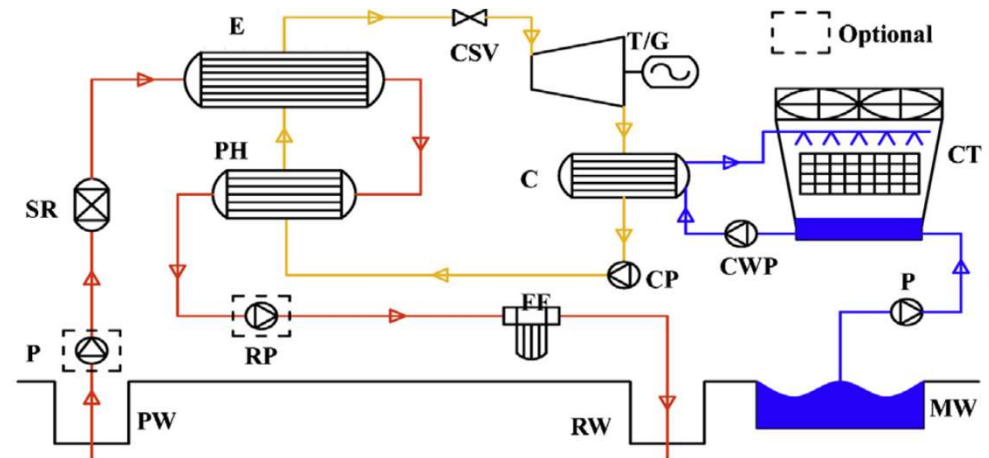
<https://empoweringpumps.com/sulzer-on-site-overhaul-of-55-mw-geothermal-steam-turbine/>

# Power Plant Efficiency



<b>PW</b>	Production well	<b>WV</b>	Wellhead valve	<b>PR</b>	Particulate remover
<b>MR</b>	Moisture remover	<b>C</b>	condenser	<b>CP</b>	Condensate pump
<b>CSV</b>	Control and stop valve	<b>SE/C</b>	Steam ejector/condenser	<b>T/G</b>	Turbine and generator
<b>CT</b>	Cooling tower	<b>CWP</b>	Cooling water pump	<b>RP</b>	Reinjection pump
<b>RW</b>	Reinjection well	<b>P</b>	Pump	<b>MW</b>	Make-up water

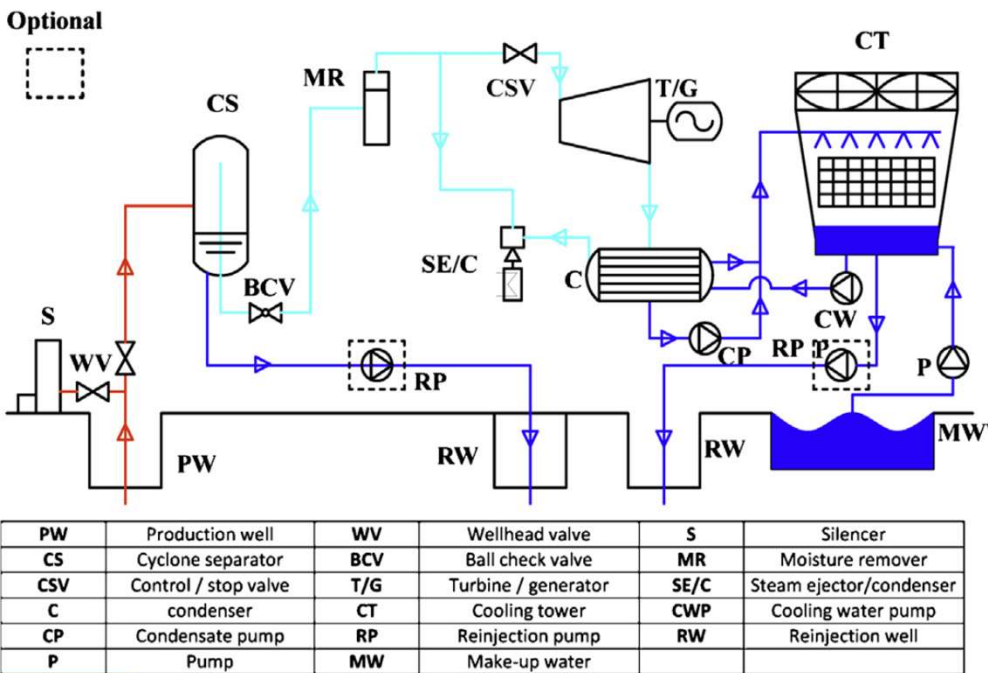
## • Dry Steam Power Plant



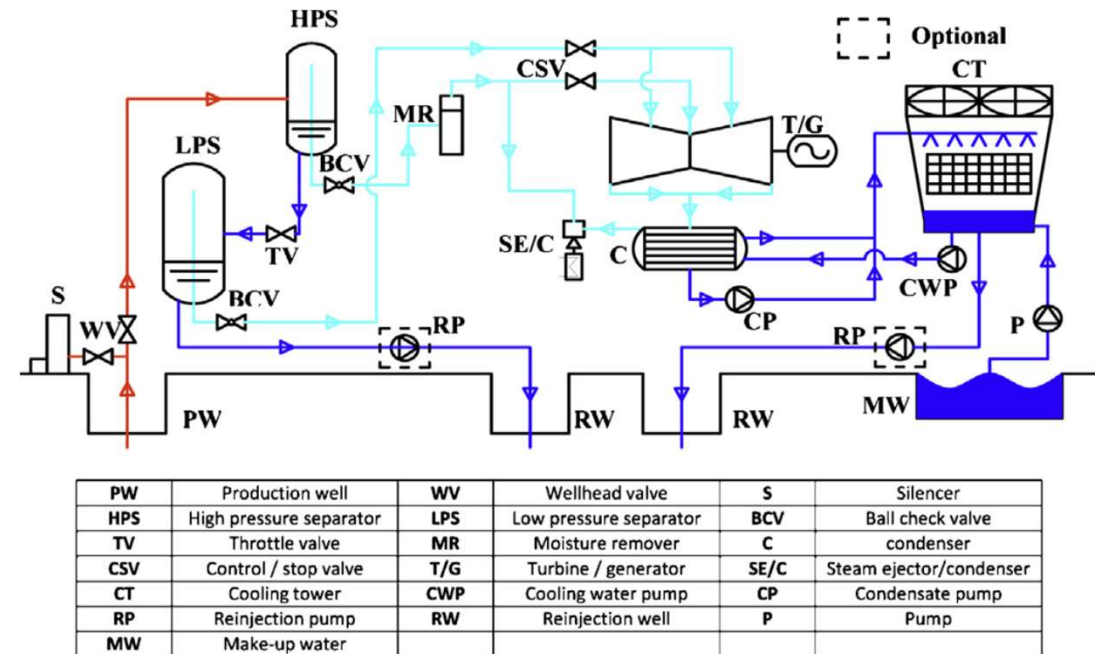
<b>PW</b>	Production well	<b>P</b>	Pump	<b>SR</b>	Sand remover
<b>E</b>	Evaporator	<b>PH</b>	Pre-heater	<b>C</b>	Condenser
<b>CP</b>	Condensate pump	<b>RP</b>	Reinjection pump	<b>FF</b>	Final filter
<b>CSV</b>	Control / stop valve	<b>T/G</b>	Turbine / generator	<b>CWP</b>	Cooling water pump
<b>CT</b>	Cooling tower	<b>RW</b>	Reinjection well	<b>MW</b>	Make-up water

## Binary Power Plant

# Power Plant Efficiency



## • Single Flash Power Plant

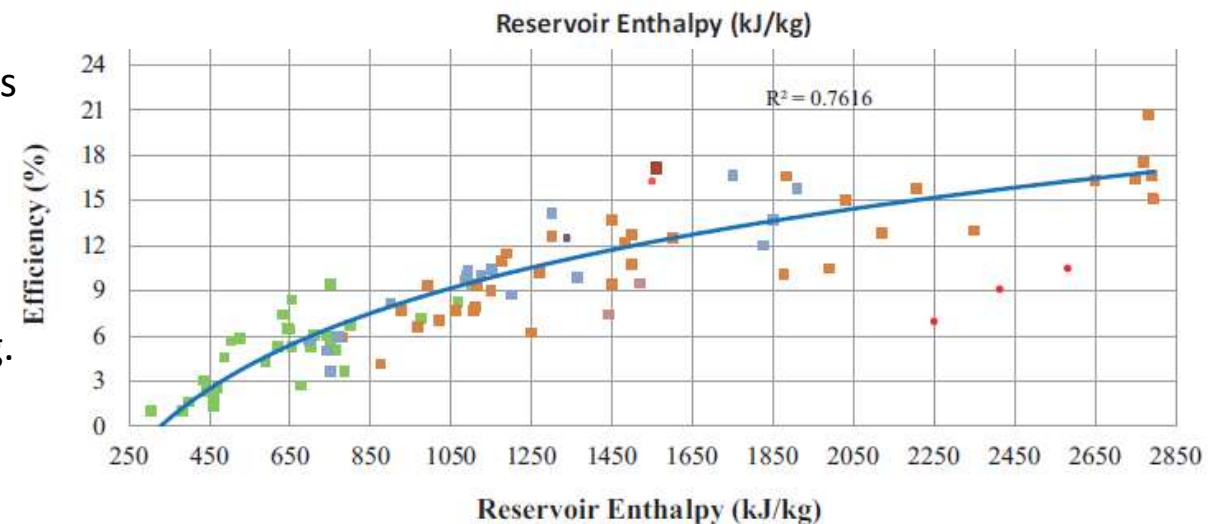
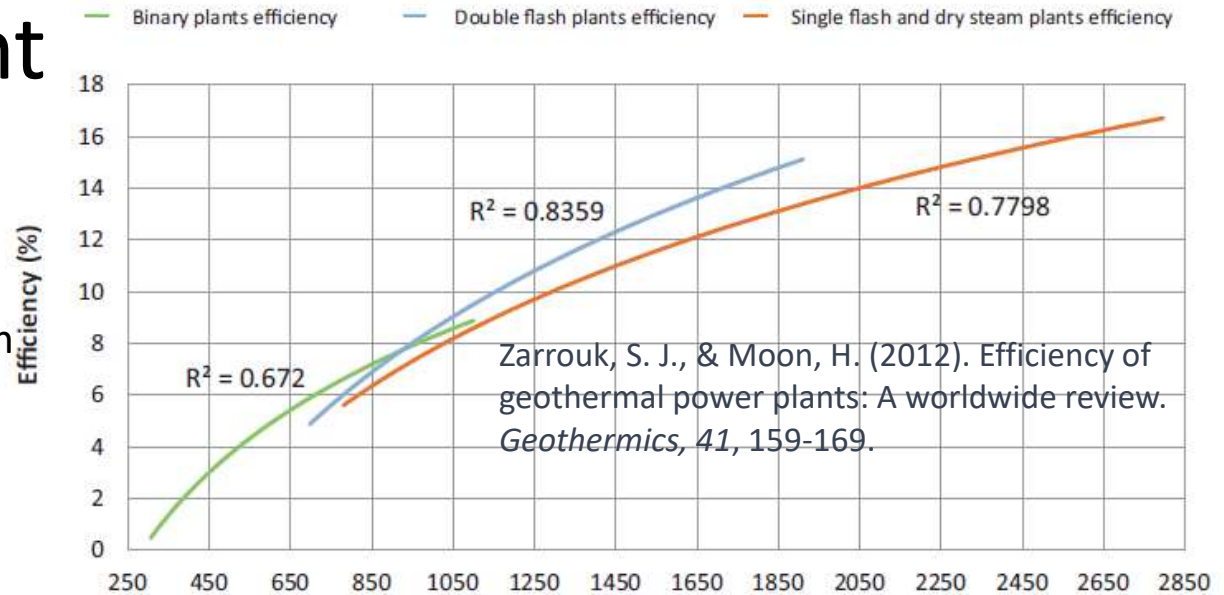


## Double Flash Power Plant



# Power Plant Efficiency

- The conversion efficiency of geothermal power developments is generally lower than that of all conventional thermal power plants.
- The overall conversion efficiency is affected by many parameters
- The highest reported conversion efficiency is approximately 21%
- The use of binary plants in low-enthalpy resources has allowed the use of energy from fluid with enthalpy as low as 306 kJ/kg.



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